

- M1.(a) Velocity and speed correct ✓  
 Distance and displacement correct ✓

	velocity	speed	distance	displacement
vector	✓			✓
scalar		✓	✓	

2

(b) (i)  $v^2 = u^2 + 2as$   
 $v = \sqrt{u^2 + 2as}$  ✓  $v = \sqrt{1.5^2 + 2 \times 9.81 \times 0.65}$  ✓

= (-)3.9 (m s<sup>-1</sup>) ✓ two or more sig fig needed (- 3.87337 m s<sup>-1</sup>)

1<sup>st</sup> mark for equation rearranged to make v the subject (note sq' root may be implied by a later calculation) penalise the use of g = 10 m s<sup>2</sup> only on this question

2<sup>nd</sup> mark for substituting numbers into any valid equation

3<sup>rd</sup> mark for answer

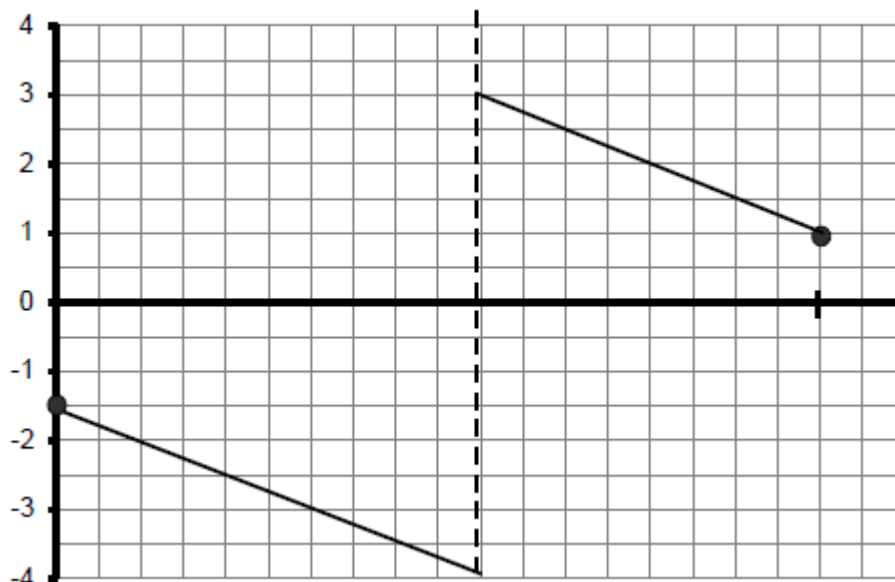
Alt' approach is gainKE = lossPE

missing out u gives zero marks

answer only gains one mark [Note it is possible to achieve the correct answer by a wrong calculation]

3

(ii) velocity / ms<sup>-1</sup>



first line descends from X to the dotted line at  $t_A$  or up to one division sooner ✓  
(allow line to curve)

first line is straight and descends from X to  $v = -4 \text{ (m s}^{-1}\text{)}$  ✓ (allow tolerance one division)

second line has same gradient as the first, straight and descends to  $v = 1 \text{ (m s}^{-1}\text{)}$  ✓ (tolerance  $\frac{1}{2}$  division)

a steep line may join the two straight lines but its width must be less than 2 divisions

3

(c)  $s = ut + \frac{1}{2}at^2$

$t = \sqrt{\frac{2s}{a}}$  OR correct substitution seen into either equation  $t = \sqrt{\frac{2 \times 1.2}{9.81}}$  ✓

$= 0.49 \text{ (s)}$  ✓ (0.4946 s)

*working must be shown for the first mark but not the subsequent marks*

$v = s / t$

$= 5.0 / 0.49 = 10 \text{ (m s}^{-1}\text{)}$  ✓ (10.2 m s<sup>-1</sup>) (allow CE from their time)

*[note it is possible to achieve the correct answer by a wrong calculation]*

3

[11]

**M2.(a)** (i)  $(a = (v-u) / t)$   
 $= 27.8 (-0) / 4.6 = 6.04$  ✓  
 $= \underline{6.0} \text{ (ms}^{-1}\text{)}$  ✓

*no need to see working for the mark  
2 sig fig mark stands alone*

2

(ii)  $(F = ma)$   
 $= (360 + 82) \times 6.0(4)$  ✓ (allow CE from (i))  
 $= 2700 \text{ (N)}$  ✓ (2670 N or 2652 N)

$F = 442 \times (i)$

*1 mark may be gained if mass of rider is ignored giving answer 2200N from 2175N*

2

- (b) (forward force would have to) increase ✓  
 air resistance / drag increases (with speed) ✓  
driving / forward force must be greater than resistive / drag force ✓  
*no mark for wind resistance*

(so that) resultant / net force stayed the same / otherwise the resultant / net force would decrease ✓

4max3

- (c) horizontal force arrows on both wheels towards the right starting where tyre meets road or on the axle labelled driving force or equivalent ✓  
*ignore the actual lengths of any arrows*  
*ignore any arrows simply labelled 'friction'*

a horizontal arrow to the left starting anywhere on the vehicle labelled drag / air resistance

*no mark for wind resistance, resistance or friction force*  
*the base of an arrow is where the force is applied*

2

- (d) ( $F = P / v$ )  
 = 22 000 / 55 ✓ Condone 22 / 55 for this mark  
 = 400 ✓ (N)

2

[11]

**M3.(a)** (i) 11 (m)

B1

1

- (ii) Use of  $F = k\Delta L$  or  $W = mg$   
*Allow use of  $\Delta L = 12$  m*

C1

3400 (N)

A1

2

(b) Sets  $mg = k\Delta L$

C1

1.9 (m)

A1

2

(c) Correct use of  $W = \frac{1}{2}k\Delta L^2$  or  $\frac{1}{2}F\Delta L$   
 $\Delta L = 5 \text{ m}$

C1

Correct use of  $\Delta GPE = mg\Delta h$   
 $\Delta h = 25 \text{ m}$

C1

States or uses  $(mg\Delta h) - (\frac{1}{2} k\Delta L^2) = \frac{1}{2}mv^2$

C1

19 (m s<sup>-1</sup>) cnao

A1

4

(d) Same kinetic energy when rope begins to stretch

B1

More work done per unit extension / stops in shorter distance  
*"Shorter time" gets no credit*

B1

Increases force on jumper (increasing the risk of injury)

B1

3

[12]

M4.(a) (i) Use of  $K E = \frac{1}{2} m v^2$

C1

21.7 (J)

A1

2

(ii) Use of  $W = Fs$

*Allow 1 mark for use of suvat or  $F=ma$*

C1

0.70 (m)

A1

2

(b) Use of  $\Delta E_p = mg\Delta h$

C1

Correct sub for  $h$  ( $1.7 \sin 18^\circ$ )

C1

77.3 (W)

OR

Use of  $P=Fv$

Correct sub for  $F$  ( $mg \sin 18^\circ$ ) or  $v$  ( $1.7 \sin 18^\circ$ )

77.3 (W)

A1

3

[7]